

20. May 2018, IED - Review

① Industrial Electronic
Devices


Overview:

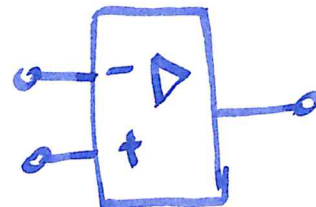
- Diodes
- Bipolar transistor
- FET transistor
- Thyristor (THYRISTOR)
- PV cells (PHOTO VOLTIC CELLS)
- OP (operational amplifier)

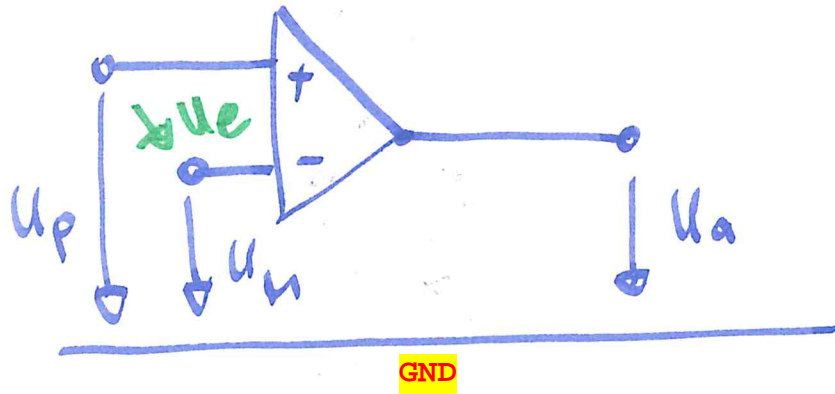
①

② - Today OP

- flexible device
- general device
- simple to handle dev.
- dev. for people without
big electrical background
- ⋮

Symbol:  {old}

or  {new}



Basic equation of each OP:

$$U_a = v_o (U_p - U_n) = v_o \cdot \underline{U_e}$$

Example: $U_p = 0.3V$; $U_n = 0.1V$

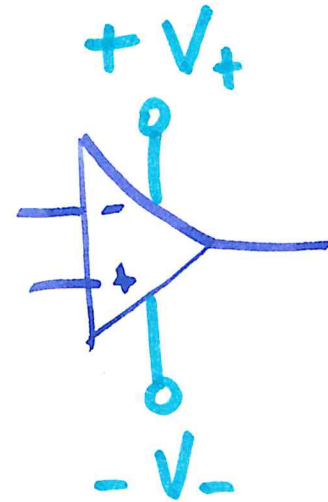
$v_o = 10^4 \Rightarrow \text{gain } (10^4 \dots 10^6)$

$$U_a = 10^4 \cdot (0.3V - 0.1V)$$

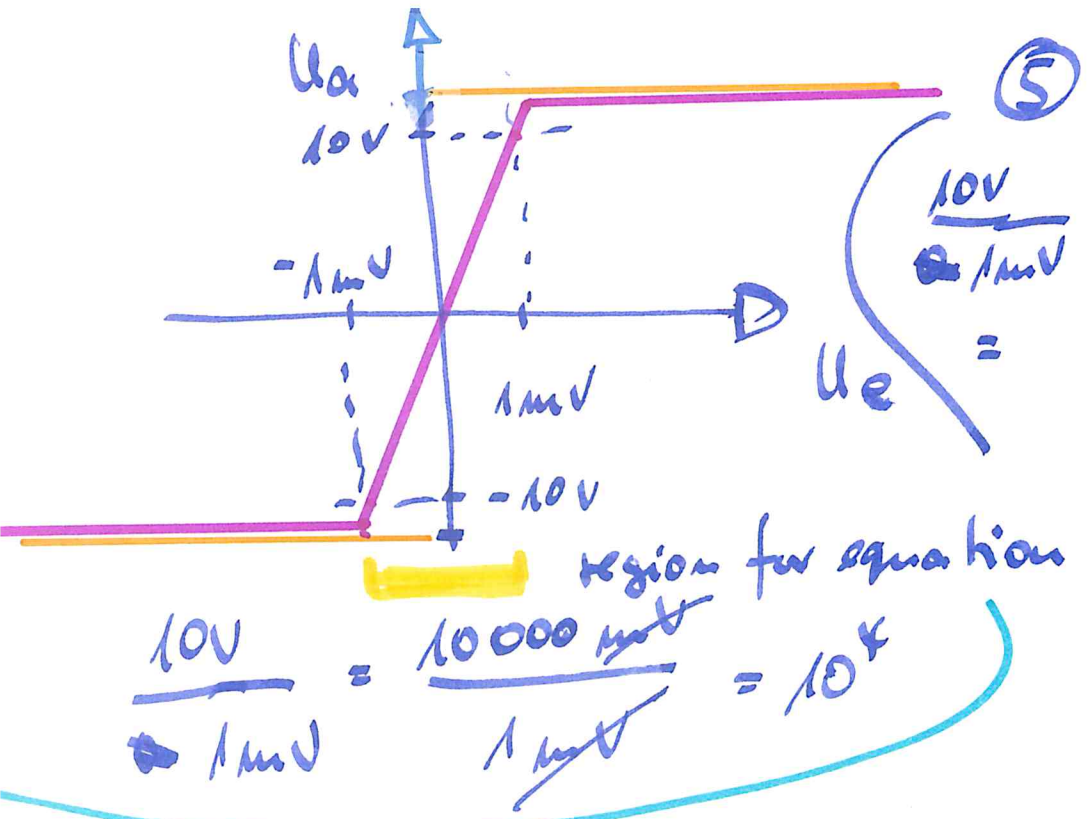
$$= 10^4 \cdot 0.2V = 2000V$$

③ ④

Which electronic circuit has 2000V? \Rightarrow NO!
From where shall 2000V come?



V_+ can be 5V..10V..15V
 V_- " " -5V..-10V..-15V

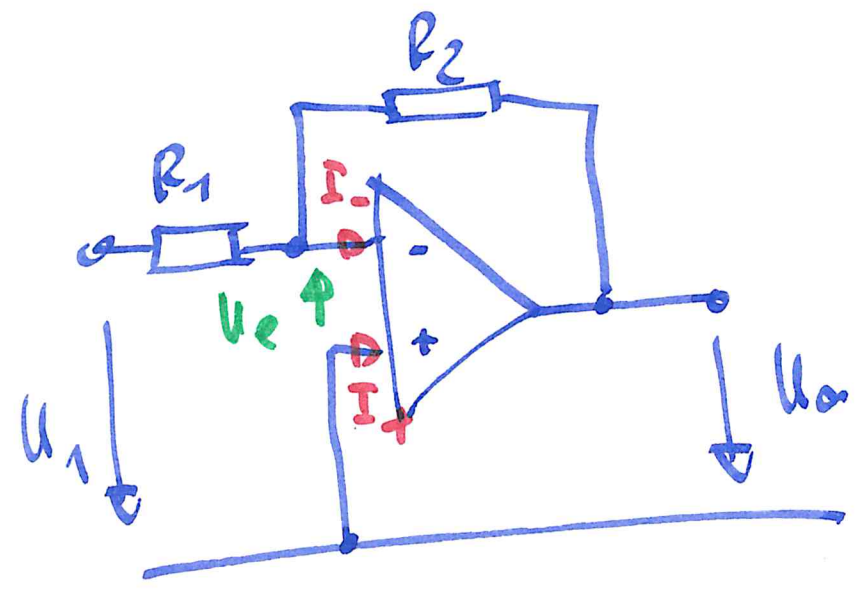


⑥ - What is in the OP? →
 see google: Inside OP
 or "Inside operational amp."
 { lot of transistors and... }
 - How it operates?

$V_+ = 12V ; V_- = -12V$

→ characteristic diagram

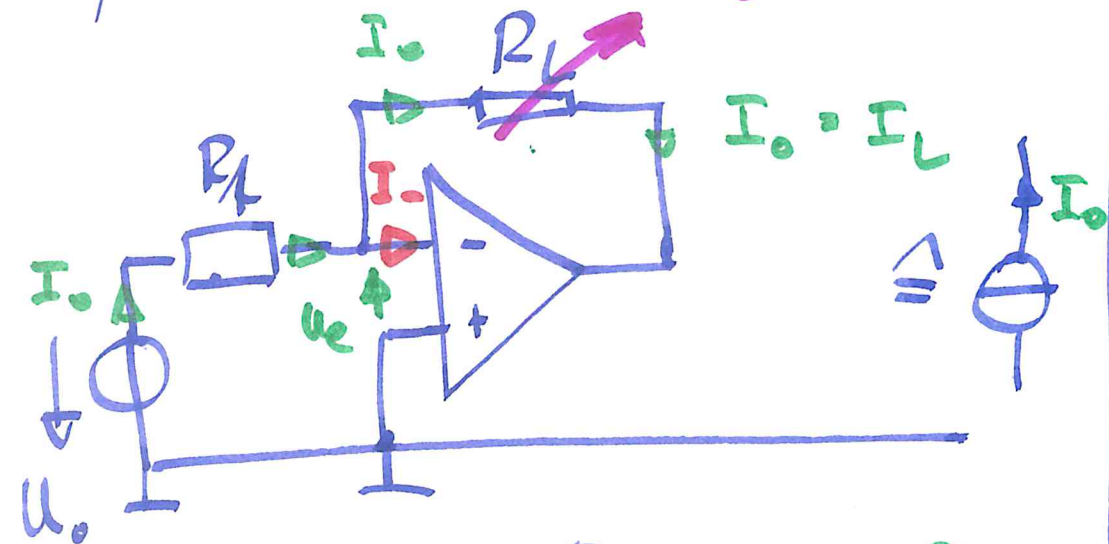
> if the OP is used as an amplifier, it operates only in .



Text - book from India: ⑦

Applications with OP (ideal OP)

1.) Current source !

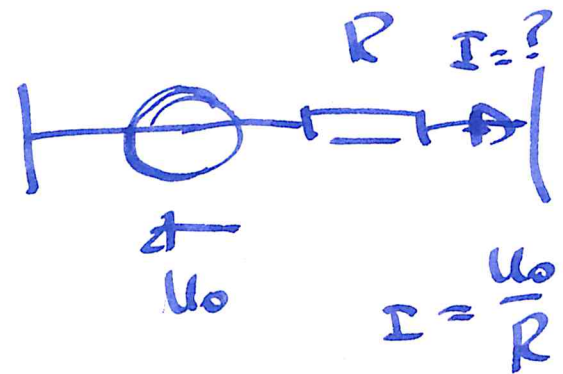


$I_+ = I_- \approx 0V$! $U_e \approx 0$

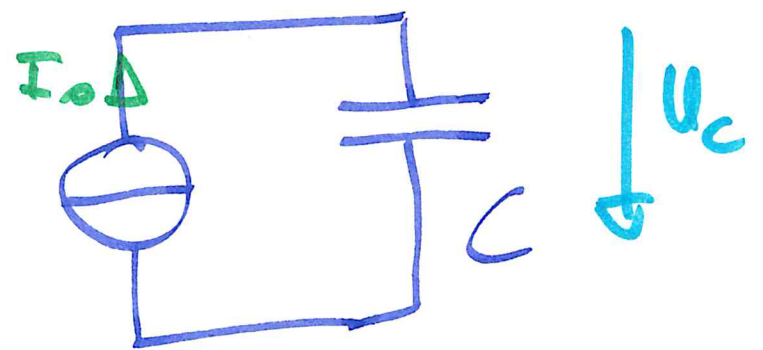
$I_o = \frac{U_o}{R} = I_L = \text{Const}$

Const

⑧



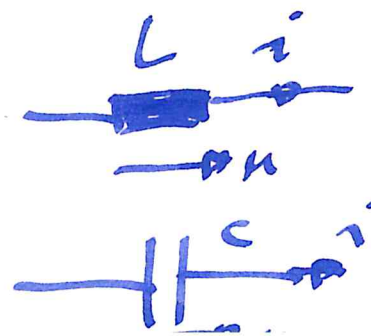
App.:



Equation of C:

$u = L \frac{di}{dt}$

$i = C \frac{du}{dt}$



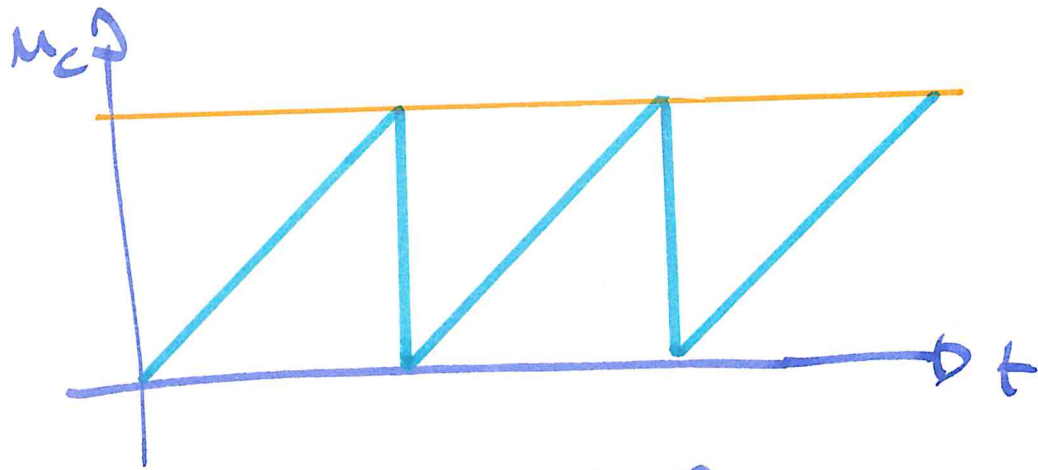
$$\int i' dt = \int C \frac{du}{dt} dt = C \int \frac{du}{dt} dt \quad (9)$$

$$= C \int du = Cu$$

$$u = \frac{1}{C} \int i' dt$$

↓
 I_0

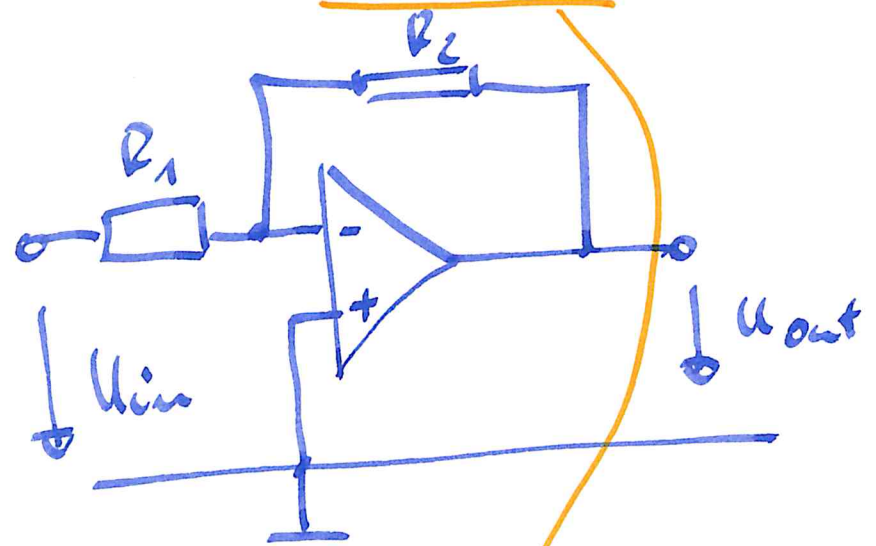
$$u = \frac{1}{C} I_0 \int dt = \frac{1}{C} I_0 \cdot t$$



saw-tooth -
diagram

~~saw teeth~~
~~saw-tooth - diagram~~

(10) 2.) Simple amplifier
- Inverter

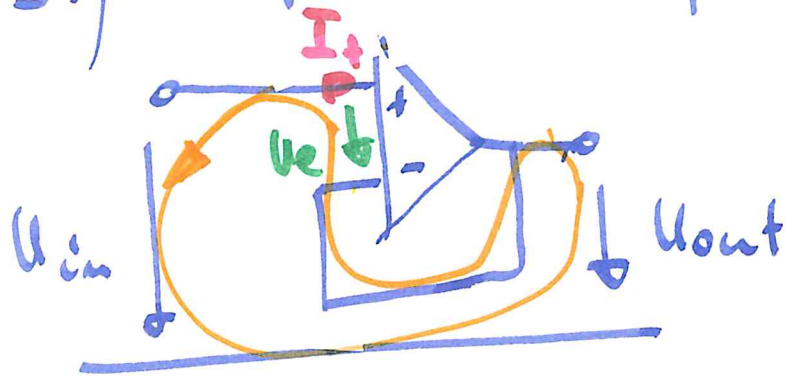


$$u_{out} = - \frac{R_2}{R_1} \cdot u_{in}$$

Examples: lot of ...

3.) Impedance trans for me (11) (12)

$$\frac{2V \Omega}{10^{-10} A} = \frac{2}{10^{-10}} = 2 \cdot 10^{10}$$



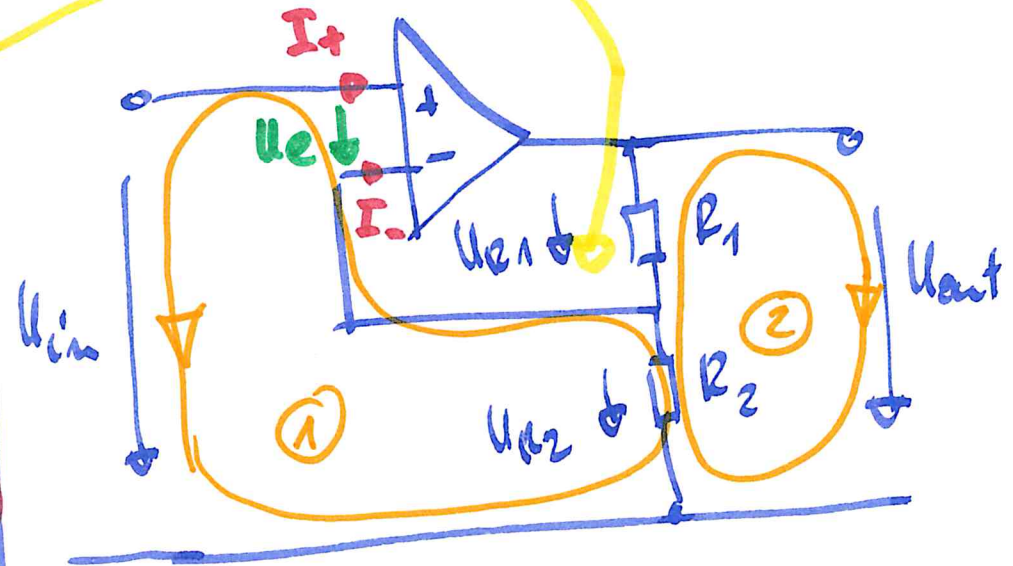
$U_e \approx 0$! if the output goes to the inverting input ! \Rightarrow negative feedback

$$U_{in} - U_{out} - U_e = 0$$

$$U_{out} = U_{in}$$

$$I_+ \approx 0 \Rightarrow Z_{in} = \frac{U_{in}}{I_+} \approx \infty$$

Impedance Trans for me
Impedance = Resistance
Non Inverte



1
4

$I_+ \approx 0; I_- \approx 0$ (13) (14)

$$U_{in} - U_{R2} - U_C = 0$$

\downarrow
 ≈ 0

$$U_{in} = U_{R2}$$

$$-U_{R1} - U_{R2} \quad U_{out}$$

$$U_{out} - U_{R2} - U_{R1} = 0$$

$$U_{out} - U_{in} - U_{R1} = 0$$

$$\frac{R_1}{R_1 + R_2} \cdot U_{out}$$

$$U_{out} \left(1 - \frac{R_1}{R_1 + R_2} \right) = U_{in}$$

$$U_{out} = \frac{1}{1 - \frac{R_1}{R_1 + R_2}} \cdot U_{in}$$

$$= \frac{R_1 + R_2}{R_1 + R_2 - R_1} \cdot U_{in}$$

$$= \frac{R_1 + R_2}{R_2} \cdot U_{in}$$

$$U_{out} = \left(1 + \frac{R_1}{R_2} \right) U_{in}$$

Non Inverter \uparrow